

TWO-POINT METHOD CALIBRATION

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1. Introduction

The processing of data obtained from Analog to Digital (A/D) Converter systems depends very much on the application, but inevitably requires some form of manual or automatic calibration. Calibration of the analog front-end via the “Two Point Method” represents a convenient possibility to minimize the average reading errors of the system. We assume here a typical application of an A/D converter with n bits, and also that the connected computer can use floating point numbers. Furthermore we assume a structure for the conversion of data [Ref.1] as shown in Figure1. The front-end of the circuit or “entrance” includes a sensor with a certain linear conversion ratio G_T (V/U.I.), an amplifier with gain A_V , a bias voltage generator V_B , a filter, an ideal multiplexer and an A/D converter with n bits and a reference voltage FSV . The expression U.I. will be used for the magnitude in physical units (e.g.: temperature in °C or pressure in hPa, etc.)

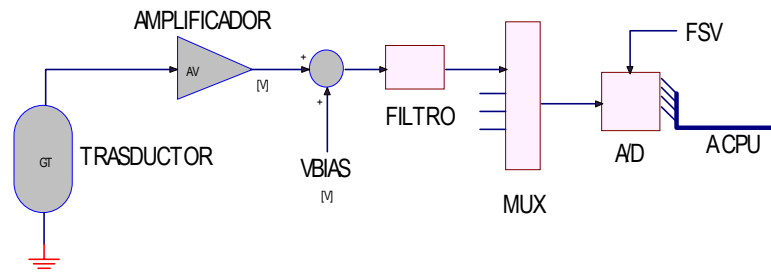


Figure 1 – Diagram of a typical A/D Conversion

An expression for obtaining the physical magnitude U.I. measured, from the A/D converter digital output ADC_{counts} can be written [Ref. 1] as:

$$U.I. = \left(\frac{ADC_{counts} * FSV}{2^n - 1} - V_{bias} \right) * \frac{1}{G_T * A_V} \quad (eq.0)$$

2. Method implementation

Taking (eq.0), the default values can be conveniently grouped into coefficients C_{off} y G_{conv} , and two new correction coefficients can be defined for calibration purposes: a) the count correction coefficient C_{cal} , with an initial value of 0, and b) the gain correction coefficient G_{cal} , with an initial value of 1.0, as shown in the following equation:

$$U.I. = (ADC_{counts} + C_{offset} + C_{cal}) * G_{conv} * G_{cal} \quad (eq.1)$$

The two-point method with linear sensors involves comparing two measured values of known precision at different points using (eq.1), and then solving the equation for G_{cal} and C_{cal} . Let us assume we have two measurements $U.I._1$, $U.I._2$ and the corresponding calculated values (*counts*) from the A/D converter, C_1 and C_2 . Therefore we get:

$$U.I._1 = (C_1 + C_{offset} + C_{cal}) * G_{conv} * G_{cal} \quad (eq.2)$$

$$U.I._2 = (C_2 + C_{offset} + C_{cal}) * G_{conv} * G_{cal} \quad (eq.3)$$

If we now subtract one equation from the other, the value C_{cal} cancels out and it is possible to solve the equation step by step for G_{cal} and C_{cal} . The result is:

$$G_{cal} = \frac{1}{G_{conv}} \left[\frac{U.I._1 - U.I._2}{C_1 - C_2} \right] \quad (eq.4)$$

$$C_{cal} = \frac{U.I._1}{G_{conv} * G_{cal}} - C_1 - C_{offset} \quad (eq.5)$$

The implementation of this routine is shown in flow–diagram format in Annex I.

Basically, two successive measurements must be taken, and then the values $U.I._1$ and $U.I._2$, (obtained with an instrument of known precision) must be inserted. In every measurement the program stores the counted values C_1 and C_2 . If the sequence is correct, we get equivalent results from (eq. 4 and 5).

The flow diagram corresponds to a routine written in C programming language, in which the main program “passes” a pointer to the routine indicated as HPtr. This pointer allows: a) access to the data of the corresponding channel and b) storage of modified data back in non-volatile memory (NVRAM). For a better understanding of the flow diagram, the following table shows the structure used:



```

struct calib {
    UBYTE  ch; /* Number of Channel used internal */
    char   Name[CAL_NAMELEN]; /* Name of Canal */
    char   Label[CAL_LABELLEN]; /* Label of canal, modifiable. */
    char   SensorTyp[CAL_SENSORTYPLEN]; /* Sensor Type, N° serie, Fabric. */
    char   ADCRange[CAL_ADCRANGELEN]; /* String range A/D */
    UBYTE  ADCRng; /* Parameter range of MAX197, AlOng */
    char   Units[CAL_UNITSLEN]; /* String, units de U.I... */
    BOOLEAN CalY_N; /* Calibration or no... */
    char   CalDate[CAL_DATELEN]; /* ... y if finished. */
    BOOLEAN EnabledY_N; /* Can be disabled... */
    char   EURange[CAL_EURANGELEN]; /* Range in U.I. ... */
    FP     C_Def; /* Parameter default Coffset */
    FP     G_Def; /* Parameter default Gconv */
    FP     C_Cal; /* Calibr. Source Ccal Labrosse */
    FP     G_Cal; /* Calibr. Gain Gcal */
};

```

Because of ease of implementation, the program (see flowchart) does not follow exactly the sequence of equations 4 and 5: the calculated coefficients lead first to the result of C_{cal} . This result can be obtained with:

a) a simple operation if $U.I.1 = 0$ (it is very common to set the first value zero):

$$C_{cal} = -(C_1 + C_{offset}) \quad (\text{eq.6})$$

b) the division of the equations (eq. 10, 11) if $U.I.1 \neq 0$. This allows for:

$$\frac{U.I._1}{U.I._2} = \frac{(C_1 + C_{offset} + C_{cal}) * G_{conv} * G_{cal}}{(C_2 + C_{offset} + C_{cal}) * G_{conv} * G_{cal}} \quad (\text{eq.7})$$

$$C_{cal} \left(\frac{U.I._1}{U.I._2} \right) - C_{cal} = C_1 + C_{offset} - \left(\frac{U.I._1}{U.I._2} \right) (C_2 + C_{offset}) \quad (\text{eq.8})$$

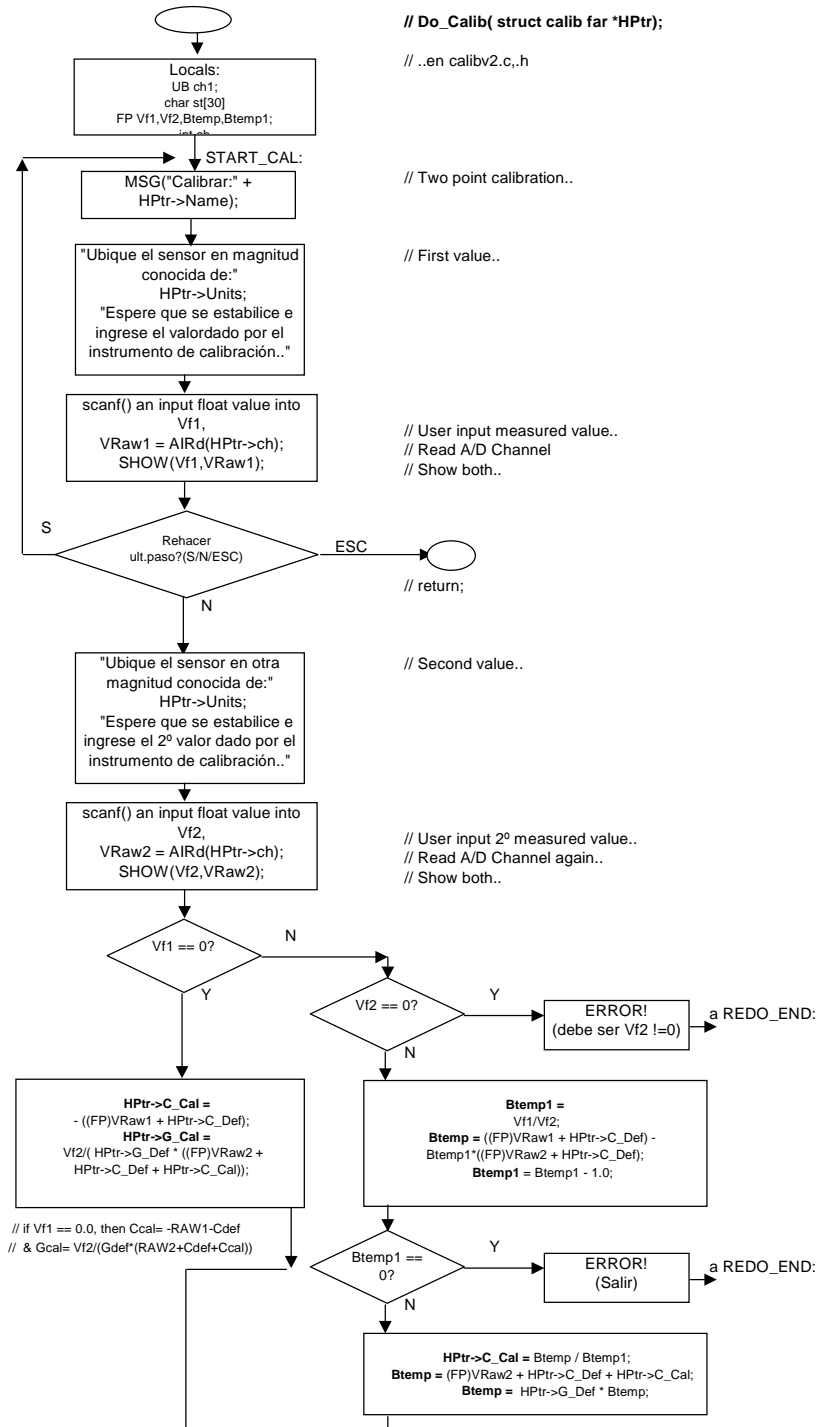
from which:

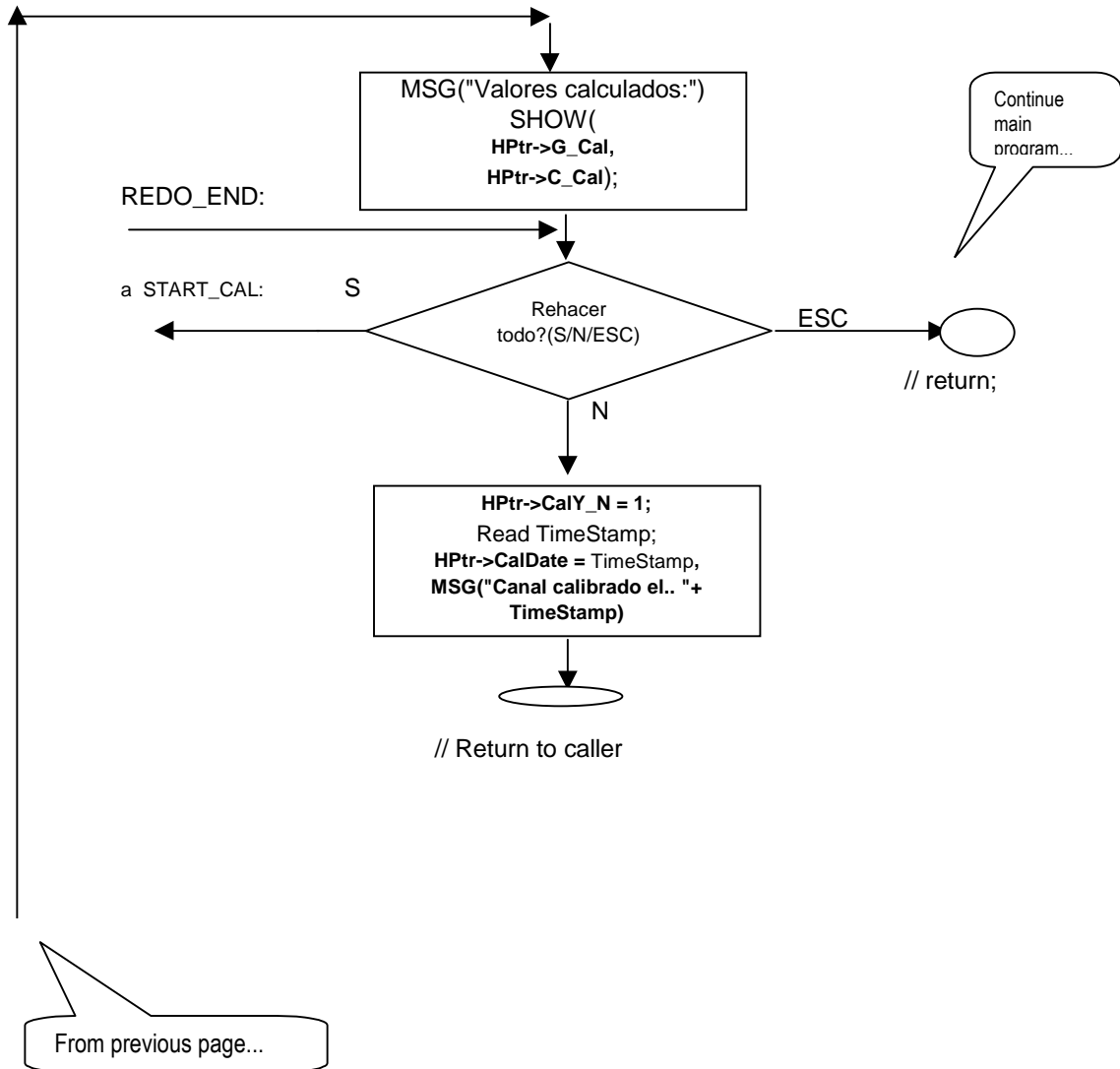
$$C_{cal} = \frac{C_1 + C_{offset} - \left(\frac{U.I._1}{U.I._2} \right) (C_2 + C_{offset})}{\left(\frac{U.I._1}{U.I._2} - 1 \right)} \quad (\text{eq.9})$$

Finally, for both cases a) and b), it follows that:

$$G_{cal} = \frac{1}{G_{conv}} \left[\frac{U.I._2}{C_{offset} + C_2 + C_{cal}} \right] \quad (\text{eq.10})$$

ANNEX I BLOCK DIAGRAM - CALIBRATION BY THE *TWO-POINT METHOD*





3. References

[Ref.1] *Embedded System Building Blocks, 2nd.Ed.*, Jean Labrosse, Ch. 10. R&D Books 2000, ISBN 0-87930-604-1